# How To Join Mouldings With $30^{\circ}$ \& $45^{\circ}$ Bevels (And More) 

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We found that when using moulding with $45^{\circ}$ bevels, there isn't much extra material to work with when trying to make the corner folds while stretching the canvas. Thirty-degree bevels aren't as bad, so that is what we usually use for stretching our images. I've also found that on those images with a high aspect ratio (meaning a large relative difference between the height and width of the image), as happens in panoramas, it is hard finding an "illusion viewing angle" (as described in "How To Make Your Beveled Edges Look Like A Continuation Of Your Image" (https://www.-beehappygraphics.com/blog/2021/how-to-make-your-beveled-edges-look-like-a-continuation-of-your-image/) common to both the horizontal and vertical edges. For that reason, we have started using the $45^{\circ}$-beveled moulding on the short edges of our panoramas and $30^{\circ}$ bevels on the long sides. That helps solve both problems; folding the corners is easier than using just $45^{\circ}$ bevels and we can find a common illusion viewing distance. But how does one cut the miters?

## The Specs



For $30^{\circ}$ bevel


For $45^{\circ}$ bevel

Figure 1: This shows important measurements for both $30^{\circ} \& 45^{\circ}$ mouldings

## Plan A

I knew that the only important areas, which had to line up exactly, were the outer slopes where the canvas was stretched around the edge and stapled on the back/bottom face. Based on theinformation in Figure 1, I came up with a plan (Figure 2), from which we can see that the miter angle is

$$
\arctan \left(\frac{3 / 4}{11 / 16}\right)=35.2^{\circ}
$$



Figure 2: Plan A (flawed)

## An Angle Warning

As I mentioned in our blog article "Using Multiple Moulding Widths In One Frame" (https://www.beehappygraphics.com/blog/2019/using-multiple-moulding-widths-in-one-frame/\# AngleCaveat"), you need to be careful in calculating and labeling angles. Besides keeping track of which measurement should go on the bottom of the fraction when calculating the tangent, you need
to be aware that your equipment might not be using the same reference line you are when describing angles. Click on the above link to review those warnings.

## Graphical Solution

As much as I love math, it should be pointed out that trigonometry isn't strictly required for this process; you can solve this problem graphically. As professional framer Wally Fay CPF mentioned in his comments to "Using Multiple Moulding Widths In One Frame" (https://www.beehappygraphics.com/blog 2019/using-multiple-moulding-widths-in-one-frame/), you can "cut the four lengths just over their final length and make a cardboard template of the finished product (or, using the appropriate measurements, make a scale drawing of the corner, like the ones in Figures 2 \& 4). Using a sliding T-bevel, transfer the cut angles for the miters to your saw from the template". If you don't have a sliding T-bevel, you can use a protractor, but the precision will suffer a bit.

Suppose you want to make a frame for an 18 " by 36 " print on canvas. In Figure 2, your image for the front face would cover and come to the edge of the inner slope (shown in yellow). To cut the $30^{\circ}$-beveled moulding, which would be along the long edge ( 36 "), you would add the width of the outer slope (shown in orange) of the $45^{\circ}$ moulding $\left(1^{1 /} / 6^{\prime \prime}\right)$ to each end to find the cut length along the outside edge of the wood. In this case that would be $38^{1} / 8^{\prime \prime}$. By the same token, the length of the $45^{\circ}$ pieces would be 18 " $+\left(2 \mathrm{x}^{3 / 4} 4^{\prime \prime}\right)=19^{1 / 2 "}$.

Unfortunately, I overlooked one detail. Figure 3 shows the result. From above, it looks perfect .


Figure 3: Mismatched bevels

## Plan B: Success

. . . but it doesn't mean anything to match the maximum width; one must match the width at every common elevation. This means we have to match widths at every height from the top until the $45^{\circ}$-bevel face turns under ( ${ }^{7} / 16^{\prime \prime}$ above the ground, as shown in Figure 1). At that height, the width of the outer slope of the $30^{\circ}$ bevel is only

$$
\frac{3}{4} \cdot \frac{\left(1 \frac{1}{2}-\frac{7}{16}\right)}{\left(1 \frac{1}{2}-\frac{3}{16}\right)}=0.60714 \approx \frac{19}{32}
$$

(also shown in Figure 1) which makes the true miter angle

$$
\arctan \left(\frac{19 / 32}{1 / 16}\right)=29.7^{\circ}
$$



Figure 4: Plan B

In this case, for our same $18^{\prime \prime}$ by $36^{\prime \prime}$ print, you would need to add $1^{5} / 16^{\prime \prime}$ to both sides of the $30^{\circ}$-beveled moulding (which is longer than the outer-slope width of the $45^{\circ}$ moulding) to make the overall length $38^{5} / 8^{\prime \prime}$. The $45^{\circ}$ moulding would be $18^{\prime \prime}+\left(2 \mathrm{x}{ }^{19} / 3_{32}\right.$ " (which is less than the outer slope distance of the $30^{\circ}$-beveled moulding) ) $=19^{3} / 16^{\prime \prime}$. The finished overall/outside measurements (for shipping purposes, perhaps) can still be found by just adding the appropriate outer slope widths to each end (giving $38^{1} / 8^{\prime \prime}$ and $19^{1} / 2^{\prime \prime}$, the same answer as you would have gotten using Plan A).

## A Small Angle Problem

We don't have a single tool that can be used to cut miters less than $30^{\circ}$ (neither radial arm saw, miter saw (see Figure 4B in "Using Multiple Moulding Widths In One Frame" (https://www.-beehappygraphics.com/blog/2019/using-multiple-moulding-widths-in-one-frame/\#SawLimitation)), or table saw (notice miter gauge in Figure 5A below). So this time I made a crude sled jig because the method I used last time gets awkward for long pieces. On a piece of plywood, I marked a baseline just inside the short edge next to the miter gauge and a perpendicular line just inside each long edge. I measured the distance along the baseline between those two parallel lines (millimeters is probably best for this because they are small and need no fractional conversions), call it "W", and pounded a nail where each of them intersects the baseline. Then I measure a length L along both long edges, according to the below formula, and pound in another nail.

$$
L=\frac{W}{\tan \left(29.7^{\circ}\right)}
$$

Figure 5A shows Version 1 of this jig. Figure 5B shows a closeup of one edge of the jig after we enhanced it with a second set of parallel lines (with a different $W$ ), so the nails for similar cuts don't have to be so close. We added the second nail at the top of that figure just to help hold the moulding in place. (Figure B is actually upside down relative to figure A to make the numbers easier to read.)

Note: This jig, if not careful, can get sloppy, but could be sufficient for occasional use. After completing this project, I decided we'd be doing enough of these to justify ordering something better. So I reviewed the comment sections of previous articles, and after doing my online research, I ordered the Incra Miter Gauge. Stay tuned.

As you can see in Figure 4, although this plan should match the edges of the two pieces exactly, from the peak, along the outer edge, until the $45^{\circ}$ moulding turns underneath, it does create a little projection on the $30^{\circ}$ moulding. This should be removed before gluing and using the band clamp.


Figure 5: our jig

## Results

Figure 6 shows the results of the cuts. Photo A shows the corner, bottom side up, showing the projection on the $30^{\circ}$ moulding (to the right ), adjacent to what would be the lower, inner-sloping face of the $45^{\circ}$ moulding. Photo B shows an adjacent corner with the front face up (with the $30^{\circ}$ bevel still on the right) after the projection was sawed/filed off and the pieces glued. Photo C again shows the bottom of the frame (similar corner to Photo B), but from a different perspective after V-nailing.


Figure 6: Results of cut

## Bonus Solution: Joining Mouldings With $\mathbf{3 0 ^ { \circ }} \boldsymbol{\&} \mathbf{0}^{\circ}$ Bevels

Since I mentioned it in the Note in "The Challenge" section of "A Contest For Woodworkers: Make Miter Cut Between Differently-beveled Mouldings" (https://www.beehappygraphics.com/-blog/2021/a-contest-for-woodworkers-make-miter-cut-between-differently-beveledmouldings/\#NoteSection), I'll give you the information on joining a regular no-bevel piece of moulding with one having a $30^{\circ}$ bevel as another example of this issue.

The short answer is that you can cut the miter at whatever angle you like (as long as the angles of the two cuts are complementary (their sum is $90^{\circ}$ ) and you line up the outside edge of the regular moulding with the peak of the $30^{\circ}$ moulding as shown in Figure 7. In any case, you will have a large projection on the $30^{\circ}$ moulding that extends past the regular moulding. Again, this needs to be removed before gluing and clamping. The simplest answer would be regular $45^{\circ}$ miters, but the inner edges won't be quite as tidy. If you put a

$$
37.9^{\circ}\left(=\arctan \left(\frac{7 / 8}{1 / 8}\right)\right)
$$

cut on the $30^{\circ}$-beveled piece, it should give you more gluing surface.


Figure 7: Options for joining regular non-beveled stretcher moulding with moulding having a $30^{\circ}$ bevel

Back to our 18 " by $36^{\prime \prime}$ example, and saying the regular, non-beveled moulding will be on the short side of the image, you would add either ${ }^{31} / 32$ " or ${ }^{3} / 4^{\prime \prime}$ to each end of the $36^{\prime \prime}$ piece, depending on whether you made the $37.9^{\circ}$ miter cut or the $45^{\circ}$ cut, respectively. This means the cut length will be either $37^{15} / 16^{\prime \prime}$ or $37^{1 / 2}$ ". For the non-beveled 18 " pieces, you would add nothing to both ends, regardless of which miter cut you made. The final overall lengths, after again adding the appropriate outer-slope widths of the opposite pieces, would be 36 " and $19^{1} / 2^{\prime \prime}$.

## Trimming The Regular (non-beveled) Moulding (Optional)

When joining non-beveled moulding to moulding with a $30^{\circ}$ bevel, I trim the top of the non-beveled moulding to better match the inner slope of the adjacent moulding. Figure 8A shows the specifications, while Figure 8B shows the finished moulding.

Note: The $1 / 16$ " bead on the front/top edge of this particular moulding is really insufficient to prevent ghosting of the frame on the canvas (the top inside edge is close enough to the canvas on occasion to create a slight, but noticible crease on the canvas). On some other brands, the bead can be $1 / 2^{2}$ (see Figure 10 below).


Figure 8: trimming non-beveled moulding to conform

## Results

Figure 9 A shows a corner using the $37.9^{\circ}$ miter cut on the $30^{\circ}$-beveled moulding (along the bottom edge of the picture). The projection is clearly visible. Figure 9B shows a different corner (with the $30^{\circ}$-beveled moulding on the left) after we removed the projection. This joint used a $45^{\circ}$ miter cut, although the gap/notch on the inside corner isn't as visible from this perspective. It shows up a little better at the bottom of the miter (follow arrow below the lower staple) in Figure 9C, which shows another $45^{\circ}$ mitered corner (with the $30^{\circ}$-beveled piece on the right), bottom side up, after being glued and nailed (by hand).


Figure 9: Joining $30^{\circ}$-beveled moulding with regular (non-beveled) moulding

## What's Next

## Stretcher vs. Strainer

Although the term "stretcher frame" has almost become generalized to include both types, some commenters have correctly pointed out there is a difference between a canvas stretcher frame and a strainer frame (see https://asiarta.org/2012/03/conservation/stretcher-or-strainer). What we've described and have been working with so far have been stainer frames. It is easy to cut them to any length and assemble them the same as any other picture frame.


Figure 10: End of a stretcher bar

Stretcher frame corners are more complicated. As you can see, they have mortises and tenons. Tenons are the wide, but thin projecting components that fit into the matching mortise or slot in the adjacent piece. These components are all parallel to the same plane. The pieces are assembled snugly without nails or glue so that the frame can expand, but only within that plane. Making these corners is best done with special tools and is well beyond the scope of this article. Store-bought stretcher bars come premade in specific lengths that are all multiples of whole inches. For a debate on whether or not you need to use proper stretcher bars, see The Picture Framers Grumble (forum): To Key or Not to Key... (https://www.thegrumble.com/threads/to-key-or-not-to-key.67407/).

My technique for putting the bevel on the bars will not work with these stretcher bars; it will tilt the moulding, causing the tenons and the matching mortises to be on different planes, meaning they no longer fit. Some of the forum commenters had suggestions that might lead to an easier technique that could work on both strainer and stretcher bars. I've already purchased the materials I need to develop and test those ideas. If successful, I will pass that information on to you. In the meantime, I need to address other promises and projects (like the rock printing project). Stay tuned.

